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# United States Patent (19)

DesJardins et al.

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(54) METHOD OF AND APPARATUS FOR PROCESSING A SHAPED VIDEO SIGNAL TO ADD A SIMULATED SHADOW

(75) Inventors: Philip DesJardins, John J. Proctor, both of Nevada City, Calif.

(73) Assignee: The Grass Valley Group, Inc., Nevada City, Calif.

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(52) U.S. Cl. 348/391; 348/378; 348/379; 348/380; 348/391; 348/378; 348/379; 348/380

(53) Field of Search 358/22, 23, 22 C, 358/22 P, 183, 185, 186, 340/725, 399/133, 126, 118; 382/45, 34; 348/379; H04N 5/272, 5/275

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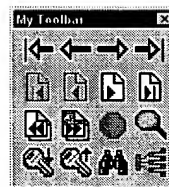
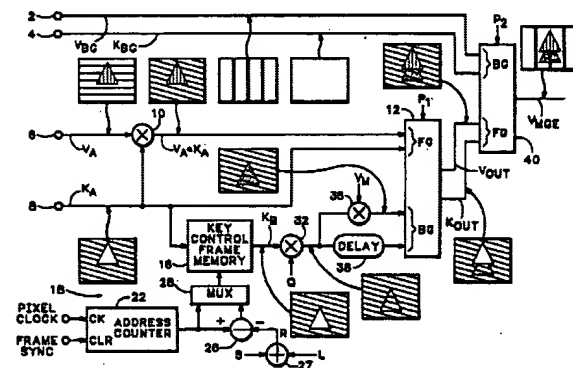
Primary Examiner—James J. Groody

Assistant Examiner—Gale M. Jochims  
 Attorney, Agent or Firm—Francis L. Gray, John Smith-Bell

## ABSTRACT

A shaped video having an input key control signal associated therewith is processed by carrying out a first operation on the input key control signal to provide a first processed signal, carrying out a second operation on the first processed signal to provide a second processed signal, and combining the shaped video signal and the second processed signal to provide an output video signal. One of the first and second operations comprises translation. In this manner, a simulated shadow is added to the shaped video signal.

10 Claims, 4 Drawing Sheets



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Detailed Description Text - DETX (6):

The address signals used for writing to and reading from the frame memory 16

are generated by an address signal generator 18 comprising an address counter

22 that counts pixel clock pulses and is cleared by a frame sync pulse.

Therefore, the output of the address counter is representative of the position (x,y) in the video raster of the pixel currently being received by the frame

memory 16. The address counter 22 counts lines (vertical) and pixels

(horizontal) separately, and its output is applied to the addend input of a

subtraction circuit 26. An adder 27 receives a latency signal L and a shadow

offset signal S and provides a resultant offset signal R, which is the sum of

the latency signal L and the shadow offset signal S, to the subtrahend input of the subtraction circuit 26.

Detailed Description Text - DETX (7):

The latency signal L represents the number of pixel clock delays between the output of the memory 16 and the background inputs of the combiner 12. The

latency signal L may be considered as defining a vector

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Next, the neighborhood of the pixel  $P(x, y)$  in the object area for simulation when the color vectors are averaged near the pixel  $P(x, y)$  is represented by a set of pixels  $\epsilon(x, y)$ . The number of pixels contained in  $\epsilon(x, y)$  is represented by  $N(x, y)$ .

In this case, the mean color vector in the range  $\epsilon(x, y)$  near the pixel  $P(x, y)$  is represented by a vector  $C_\epsilon(x, y)$  of Formula 3.

$$C_\epsilon(x, y) = \begin{bmatrix} R_\epsilon(x, y) \\ G_\epsilon(x, y) \\ B_\epsilon(x, y) \end{bmatrix} \quad (3)$$

where  $R_\epsilon(x, y)$ ,  $G_\epsilon(x, y)$ , and  $B_\epsilon(x, y)$  are scalars indicating the R component, G component, and B component of  $C_\epsilon(x, y)$  respectively. The components of  $R_\epsilon(x, y)$ ,  $G_\epsilon(x, y)$ , and  $B_\epsilon(x, y)$  are represented by Formula 4, Formula 5, and Formula 6.

$$R_\epsilon(x, y) = \frac{1}{N(x, y)} \sum_{i=1}^N P(i, x, y) \quad (4)$$

$$G_\epsilon(x, y) = \frac{1}{N(x, y)} \sum_{i=1}^N P(i, x, y) \quad (5)$$

$$B_\epsilon(x, y) = \frac{1}{N(x, y)} \sum_{i=1}^N P(i, x, y) \quad (6)$$

where a symbol  $i$  indicates an index for representing the  $x$  coordinate and a symbol  $j$  indicates an index for representing the  $y$  coordinate.

Next, the ratio of the vector  $C_\epsilon$  to the standard color vector  $C_0$  in each component is taken as a vector  $F(x, y)$  (Formula 7).

$$F(x, y) = \begin{bmatrix} R_F(x, y) \\ G_F(x, y) \\ B_F(x, y) \end{bmatrix} \quad (7)$$

where  $R_F(x, y)$ ,  $G_F(x, y)$ , and  $B_F(x, y)$  are scalars indicating the R component, G component, and B component of  $F(x, y)$  respectively. The components of  $R_F(x, y)$ ,  $G_F(x, y)$ , and  $B_F(x, y)$  are represented by Formula 8, Formula 9, and Formula 10.

$$R_F(x, y) = \frac{R_\epsilon(x, y)}{R_0} \quad (8)$$

$$G_F(x, y) = \frac{G_\epsilon(x, y)}{G_0} \quad (9)$$

$$B_F(x, y) = \frac{B_\epsilon(x, y)}{B_0} \quad (10)$$

where each component of  $F(x, y)$  is the ratio of the average color component when the first color component variation near the pixel  $P(x, y)$  is canceled to the corresponding components of the standard color vector. Therefore, when the average color vector near the part which has the similar color vector distribution as that in the object area and has no shadow and shade because it is exposed fully to light is set as a standard color vector, each component of  $F(x, y)$  indicates the degree of shadow and shade thereof at the location.

Next, an image wherein the color vectors of all or a part of the pixels in this area are changed is generated or externally inputted and obtained.

The color vector of the pixel  $P(x, y)$  in the above object area of this new image is assumed as  $C_m$  (Formula 11).

$$C_m(x, y) = \begin{bmatrix} R_m(x, y) \\ G_m(x, y) \\ B_m(x, y) \end{bmatrix} \quad (11)$$

where  $R_m(x, y)$ ,  $G_m(x, y)$ , and  $B_m(x, y)$  are scalars indicating the R component, G component, and B component of  $C_m(x, y)$  respectively.

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ment of  $C_m(x, y)$  respectively.

To superimpose the above information of shadow and shade onto the pixel  $P(x, y)$ , it is necessary to multiply  $C_m$  by the coefficient indicating the information of shadow and shade at the location in each component. The color vector obtained by simulation is assumed as  $C_r(x, y)$  (Formula 12).

$$C_r(x, y) = \begin{bmatrix} R_r(x, y) \\ G_r(x, y) \\ B_r(x, y) \end{bmatrix} \quad (12)$$

where  $R_r(x, y)$ ,  $G_r(x, y)$ , and  $B_r(x, y)$  are scalars indicating the R component, G component, and B component of  $C_r(x, y)$  respectively.

In this case, the components of  $R_r(x, y)$ ,  $G_r(x, y)$ , and  $B_r(x, y)$  are represented by Formula 13, Formula 14, and Formula 15.

$$R_r(x, y) = R_F(x, y) \cdot R_m(x, y) \quad (13)$$

$$G_r(x, y) = G_F(x, y) \cdot G_m(x, y) \quad (14)$$

$$B_r(x, y) = B_F(x, y) \cdot B_m(x, y) \quad (15)$$

By doing this, an image simulation which ignores effects of the fine texture on the initial image and reflects the shadow and shade can be performed.

Furthermore, according to the present invention, the information of shadow and shade is expressed in a ratio of each color vector to the standard color vector in each component instead of the intensity of each color vector, so that the information of object body color indicated in the object area can be separated from the information of shadow and shade in the area even on a gray scale image and a simulation can be performed by changing the information of object body color.

Next, the operation will be described in detail.

The object image is assumed as a gray scale image.

The intensity of the pixel  $P(x, y)$  on the image is assumed as  $g(x, y)$ . A symbol  $g(x, y)$  is a scalar.

Next, the standard intensity of the object area is assumed as  $g_0$ . Also a symbol  $g_0$  is a scalar.

Next, the neighborhood of the pixel  $P(x, y)$  in the object area for simulation when the intensity is averaged near the pixel  $P(x, y)$  is represented by a set of pixels  $\epsilon(x, y)$ . The number of pixels contained in  $\epsilon(x, y)$  is represented by  $N(x, y)$ .

In this case, the mean intensity in the range  $\epsilon(x, y)$  near the pixel  $P(x, y)$  is represented by  $g_\epsilon(x, y)$ .

A symbol  $g_\epsilon(x, y)$  is a scalar and represented by Formula 16.

$$g_\epsilon(x, y) = \frac{1}{N(x, y)} \sum_{i=1}^N P(i, x, y) \quad (16)$$

where a symbol  $i$  indicates an index for representing the  $x$  coordinate and a symbol  $j$  indicates an index for representing the  $y$  coordinate.

Next, the ratio of  $g_\epsilon(x, y)$  to the standard intensity  $g_0$  is taken as  $F_g(x, y)$  (Formula 17). A symbol  $F_g(x, y)$  is a scalar.

$$F_g(x, y) = \frac{g_\epsilon(x, y)}{g_0} \quad (17)$$

where  $F_g(x, y)$  is the ratio of the average intensity when the fine intensity variation near the pixel  $P(x, y)$  is canceled to the standard intensity. Therefore, when the average intensity near the part which has the similar texture as that in the object area and has no shadow and shade because it is exposed fully to light is set as a standard intensity,  $F_g(x, y)$  indicates the degree of shadow and shade at the location.

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DOCUMENT-IDENTIFIER: US  
5537638 ATITLE: Method  
and system for image mapping

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Detailed Description Text - DETX  
(11):

To superimpose the above information of shadow and shade onto the pixel  $P$

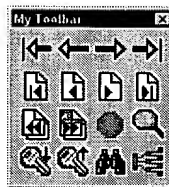
$(x, y)$ , it is necessary to multiply  $C_m$  by the coefficient indicating the information of shadow and shade at the location in each component. The color vector obtained by simulation is assumed as  $C_r(x, y)$  (Formula 12). ##EQU8##

where  $R_r(x, y)$ ,  $G_r(x, y)$ , and  $B_r(x, y)$  are scalars indicating the R component, G component, and B component of  $C_r(x, y)$  respectively.

Detailed Description Text - DETX  
(25):

To superimpose the above information of shadow and shade onto the pixel  $P$

$(x, y)$ , it is necessary to multiply  $g_m(x, y)$  by the coefficient indicating the information of shadow and shade at the location. When the intensity obtained by simulation is assumed as  $g_r(x, y)$ , it is represented by Formula 18. A symbol  $g_r(x, y)$  is a scalar.



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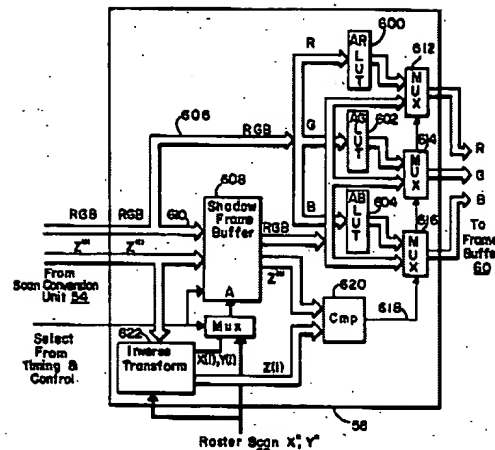


FIG. 10

source. In making this determination, two video frame times are required. In a first video frame time period, red, green and blue intensity values from the shading processor 56 are stored in the shadow frame buffer 608 along with the depth of the object for that pixel,  $Z''$ , which is received from the scan conversion unit 54. In the next video frame time period, the distance  $Z(i)$  from the simulated light source to the point under consideration is computed by the inverse transform unit 622. Additionally,  $X(i)$  and  $Y(i)$  are computed by the inverse transform unit 622 which is used as an index into the shadow frame buffer 608 in order to select the point  $Z''$  for comparison with  $Z(i)$  at comparator 620.  $X(i)$ ,  $Y(i)$  and  $Z(i)$  are the coordinates of the point under consideration with respect to the simulated light source. The distance,  $Z(i)$ , is compared with the absolute depth,  $Z''$ , from the previous frame at the comparator 620. If the distance,  $Z(i)$ , from the simulated light source to the point under consideration equals the distance between the viewer and the point ( $Z''$ ), the point under consideration is illuminated and control signal 618 causes the multiplexer 612, 614 and 616 to pass unattenuated red, green and blue intensity values to the frame buffer 60. Alternatively,

